
bentley_ottmann

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Note: If object is not listed in documentation it should be considered as implementation detail that can change and should not be relied upon.

```
bentley_ottmann.planar.edges_intersect(contour: Sequence[Tuple[numbers.Real, numbers.Real]], *, accurate: bool = True, validate: bool = True) → bool
```

Checks if polygonal contour has self-intersection.

Based on Shamos-Hoey algorithm.

Time complexity: $O(\text{len}(\text{contour}) * \log \text{len}(\text{contour}))$

Memory complexity: $O(\text{len}(\text{contour}))$

Reference: https://en.wikipedia.org/wiki/Sweep_line_algorithm

Parameters

- **contour** – contour to check.
- **accurate** – flag that tells whether to use slow but more accurate arithmetic for floating point numbers.
- **validate** – flag that tells whether to check contour for degeneracies and raise an exception in case of occurrence.

Raises ValueError – if validate flag is set and contour is degenerate.

Returns true if contour is self-intersecting, false otherwise.

Note: Consecutive equal vertices like (2., 0.) in

```
[ (0., 0.), (2., 0.), (2., 0.), (2., 2.) ]
```

will be considered as self-intersection, if you don't want them to be treated as such – filter out before passing as argument.

```
>>> edges_intersect([(0., 0.), (2., 0.), (2., 2.)])
False
>>> edges_intersect([(0., 0.), (2., 0.), (1., 0.)])
True
```

```
bentley_ottmann.planar.segments_intersect(segments: Sequence[Tuple[Tuple[numbers.Real, numbers.Real], Tuple[numbers.Real, numbers.Real]]], *, accurate: bool = True, validate: bool = True) → bool
```

Checks if segments have at least one intersection.

Based on Shamos-Hoey algorithm.

Time complexity: $O(\text{len}(\text{segments}) * \log \text{len}(\text{segments}))$

Memory complexity: $O(\text{len}(\text{segments}))$

Reference: https://en.wikipedia.org/wiki/Sweep_line_algorithm

Parameters

- **segments** – sequence of segments.
- **accurate** – flag that tells whether to use slow but more accurate arithmetic for floating point numbers.
- **validate** – flag that tells whether to check segments for degeneracies and raise an exception in case of occurrence.

Raises `ValueError` – if validate flag is set and degenerate segment found.

Returns true if segments intersection found, false otherwise.

```
>>> segments_intersect([])
False
>>> segments_intersect([(0., 0.), (2., 2.)])
False
>>> segments_intersect([(0., 0.), (2., 0.), (0., 2.), (2., 2.)])
False
>>> segments_intersect([(0., 0.), (2., 2.), (0., 0.), (2., 2.)])
True
>>> segments_intersect([(0., 0.), (2., 2.), (2., 0.), (0., 2.)])
True
```

`bentley_ottmann.planar.segments_cross_or_overlap(segments: Sequence[Tuple[Tuple[numbers.Real, numbers.Real], Tuple[numbers.Real, numbers.Real]]], *, accurate: bool = True, validate: bool = True) → bool`

Checks if at least one pair of segments crosses or overlaps.

Based on Shamos-Hoey algorithm.

Time complexity: $O((\text{len}(\text{segments}) + \text{len}(\text{intersections})) * \log \text{len}(\text{segments}))$

Memory complexity: $O(\text{len}(\text{segments}))$

Reference: https://en.wikipedia.org/wiki/Sweep_line_algorithm

Parameters

- **segments** – sequence of segments.
- **accurate** – flag that tells whether to use slow but more accurate arithmetic for floating point numbers.
- **validate** – flag that tells whether to check segments for degeneracies and raise an exception in case of occurrence.

Raises `ValueError` – if validate flag is set and degenerate segment found.

Returns true if segments overlap or cross found, false otherwise.

```
>>> segments_cross_or_overlap([])
False
>>> segments_cross_or_overlap([(0., 0.), (2., 2.)])
False
>>> segments_cross_or_overlap([(0., 0.), (2., 0.), (0., 2.), (2., 2.)])
False
>>> segments_cross_or_overlap([(0., 0.), (2., 2.), (0., 0.), (2., 2.)])
True
```

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```
>>> segments_cross_or_overlap([(0., 0.), (2., 2.)), ((2., 0.), (0., 2.))])
True
```

bentley_ottmann.planar.**segments_intersections**(segments: Sequence[Tuple[Tuple[numbers.Real, numbers.Real], Tuple[numbers.Real, numbers.Real]]], *, accurate: bool = True, validate: bool = True) → Dict[Tuple[numbers.Real, numbers.Real], Set[Tuple[int, int]]]

Returns mapping between intersection points and corresponding segments indices.

Based on Bentley-Ottmann algorithm.

Time complexity: $O((\text{len}(\text{segments}) + \text{len}(\text{intersections})) * \log \text{len}(\text{segments}))$

Memory complexity: $O(\text{len}(\text{segments}) + \text{len}(\text{intersections}))$

Reference: https://en.wikipedia.org/wiki/Bentley%20%93Ottmann_algorithm

```
>>> segments_intersections([])
{}
>>> segments_intersections([(0., 0.), (2., 2.))]
{}
>>> segments_intersections([(0., 0.), (2., 0.), (0., 2.), (2., 2.))]
{}
>>> segments_intersections([(0., 0.), (2., 2.), (0., 0.), (2., 2.)])
{(0.0, 0.0): {(0, 1)}, (2.0, 2.0): {(0, 1)}}
>>> segments_intersections([(0., 0.), (2., 2.), (2., 0.), (0., 2.)])
{(1.0, 1.0): {(0, 1)}}
```

Parameters

- **segments** – sequence of segments.
- **accurate** – flag that tells whether to use slow but more accurate arithmetic for floating point numbers.
- **validate** – flag that tells whether to check segments for degeneracies and raise an exception in case of occurrence.

Raises `ValueError` – if validate flag is set and degenerate segment found.

Returns mapping between intersection points and corresponding segments indices.

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